

Interdependence and International Policy coordination

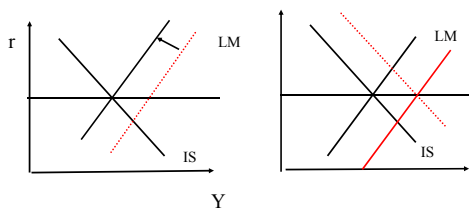
Lecture 4
LIUC 2011

Is policy coordination desirable?

- Interactions between governments acting independently can give suboptimal outcomes because of the spillover effects of a country's policy on other countries.
- Let's prove this statement by steps

Monetary and Fiscal policy in a "small" open economy

- **Fixed** exchange rate (objective: $\uparrow Y$)
 - M is ineffective
 - G is effective



Monetary and Fiscal policy in a “small” open economy

- **Flex** exchange rate (objective: $\downarrow Y$)
 - M is effective
 - G is ineffective

Monetary and Fiscal policy in a “large” open economy - Interdependence

- **Fix** exchange rate
 - M \uparrow Y and Y^*

Country 1 (Y)

Country 2 (Y*)

Monetary and Fiscal policy in a “large” open economy - Interdependence

- **Fix** exchange rate
 - G \uparrow Y and Y^*

Monetary and Fiscal policy in a “large” open economy - Interdependence

- **Flex exchange rate**
 - $M \uparrow Y$ but $\downarrow Y^*$: negative transmission of M

Monetary and Fiscal policy in a “large” open economy - Interdependence

- **Flex exchange rate**
 - $G \uparrow Y$ and Y^*

Monetary and Fiscal policy in a “large” open economy - Interdependence

- **Fixed exchange rate**
 - Monetary and fiscal policy are transmitted positively to the foreign country
 - Capital immobility does tend to weaken the spill-over effects of the mp relative to fp
- **Flexible exchange rate**
 - Fiscal policy is transmitted positively
 - Monetary policy is transmitted negatively
 - With capital immobility no negative spill-over effects of mp

Interaction and game theory

Recognition by gov of interdependence can lead to strategic behaviour in setting economic policies as each country considers the effects of own policy on other countries

Prisoners' Dilemma

		Player 1's strategies	
		Confess	Do not confess
Player 2's strategies	Confess	Payoff player 1: 5 Payoff player 2: -5	Payoff player 1: -10 Payoff player 2: 0
	Do not confess	Payoff player 1: 0 Payoff player 2: -10	Payoff player 1: -2 Payoff player 2: -2

An application of game theory (Hamada's Diagram)

- $L_i = y_i^2 + \pi_i^2 \quad i = 1, 2, \quad y_i = Y_i - \bar{Y}, \quad \pi_i = \Pi_i - \bar{\Pi}$
- $\pi = \frac{1}{2} (m_1 + m_2)$
- $y_i = \gamma m_i - \mu$
- $L_i = (\gamma m_i - \mu)^2 + \frac{1}{4} (m_1 + m_2)^2$

