

Formula John Kendrick

$$\text{rate } C_p = \left[\frac{\text{rate } C_l \cdot \alpha + \text{rate } C_k(1 - \alpha)}{L} \right] - \left[\frac{\text{rate } P \cdot \alpha + \text{rate } P_c(1 - \alpha)}{C} \right]$$

Where:
 the rate of C_p - annual growth rate of prices of products
 C_l - labor cost
 C_k - the price of capital
 α - share of labor income in GDP
 $1 - \alpha$ - share of property incomes in GDP
 P/L - Productivity, where P - the production of goods.
 P/K - in capital (capital productivity, where P - output
 $-\left[\frac{P}{L} \cdot \alpha + \text{rate } P_c(1 - \alpha) \right]$ - total factor productivity.

Demand function for national exports

Demand function for national exports by the world market can be estimated on the basis of the following equation:

$$X = a_0 + a_1 y_w + a_2 \frac{P_x}{P_w}$$

Where,

- X - the value of exports in current prices;
- P_x - export price index;
- y_w - the real world GDP;
- P_w - average weighted index of export prices of major competitors;
- $a_0 > 0$ - constant in the regression equation;
- $a_1 > 0, a_2 < 0$ - the coefficients in the regression equation (factors that enhance the impact on these indicators).

The supply of goods for export

$$\frac{X}{P_x} = a_0 + a_1 \frac{P_x}{P_d} + a_2 y_d$$

Where:

- X - export's cost in current prices;
- P_x - index of export's prices;
- P_d - index of domestic prices;
- y_d - real GDP;
- $a_0 > 0$ - constant in a regress equation;
- $a_1 > 0, a_2 < 0$, coefficients in a regress equation.
- This formula shows that a supply of goods for export in a real expression (X/P_x) depends (with a sign "plus") on a correlation of export and domestic prices for export's goods (P_x/P_d), and (with a sign "minus") on the real domestic demand (y_d), and on the row of other factors, which are caught by a coefficient a_0 .
- $a_1 > 0$ and $a_2 < 0$ - coefficients in a regress equation

Demand for import

- \underline{IM}
- $P_{im} = a_0 + a_1 y_d + a_2 * P_d$
- Where:
- IM - import's cost in current prices;
- y_d - real domestic GDP;
- P_{im} - index of export's prices;
- P_d - average weighted index of export's prices of main competitors;
- $a_0 > 0$ - constant indicator in the regress equation;
- $a_1 > 0$ and $a_2 < 0$ - coefficients in a regress equation.

Governmental policy in taxing we can watch in the next examples:

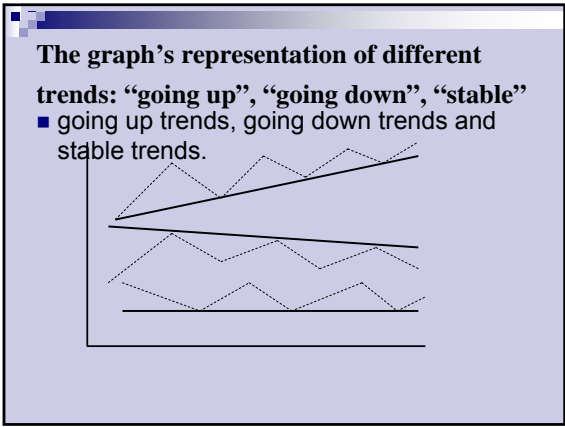
- - The tax's level of oil companies' incomes in OPEC's countries with low expenditures of oil extraction is high enough (in Libya it's about 80%);
- - The common oil company income taxes in Great Britain are about 60%, so the oil extractive expenditures are the highest in the oil-produced countries.
- The governmental regulation is expressed by the establishment of ecological standards and the putting out ecological standards may reach 15% from the all sum of expenditures in working out new recourses deposits.

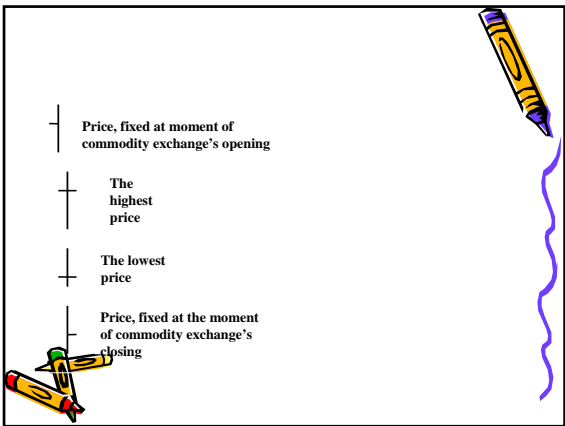
discounted value of electricity - as a tool for comparing

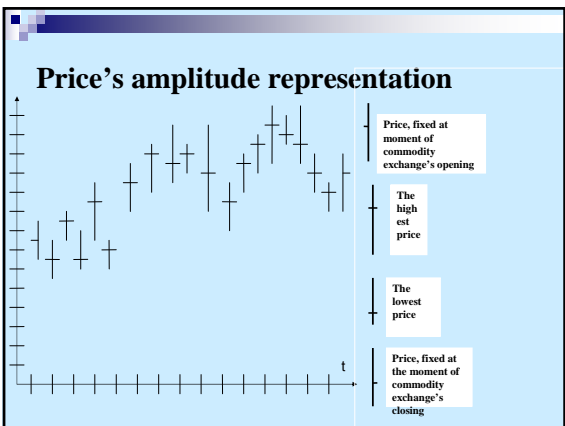
$$\sum_{t=T_0}^{T_1} \frac{C_{lev} E_t}{(1+d)^{t-T_0}} = \sum_{t=T_0}^{T_e} \frac{C_t}{(1+d)^{t-T_0}}$$

- C_t - total costs (capital, operating, fuel) in the year;
- C_{lev} - discounted average cost of electricity / breakeven rate;
- E_t - generation of electricity (kWh) per year;
- d - discount rates;
- T_0 - date of submission of tender for the project;
- T_d - bringing the cash flow date (the date of the discount);
- T_0 - date the beginning of commercial production of electricity;
- T_1 - date of completion of operation of the facility;
- T_e - date of completion of decommissioning.

Tariff break even - the average price that consumers pay for the reimbursement of capital, operating costs and fuel costs, with returns equal the discount rate







- I – the line of going up trend
- II – “left shoulder”
- III – “Head”
- IV – “right shoulder”
- V – “neckline”
- VI – the line of going down trend

