

# Design of Manufacturing Systems – Manufacturing Cells



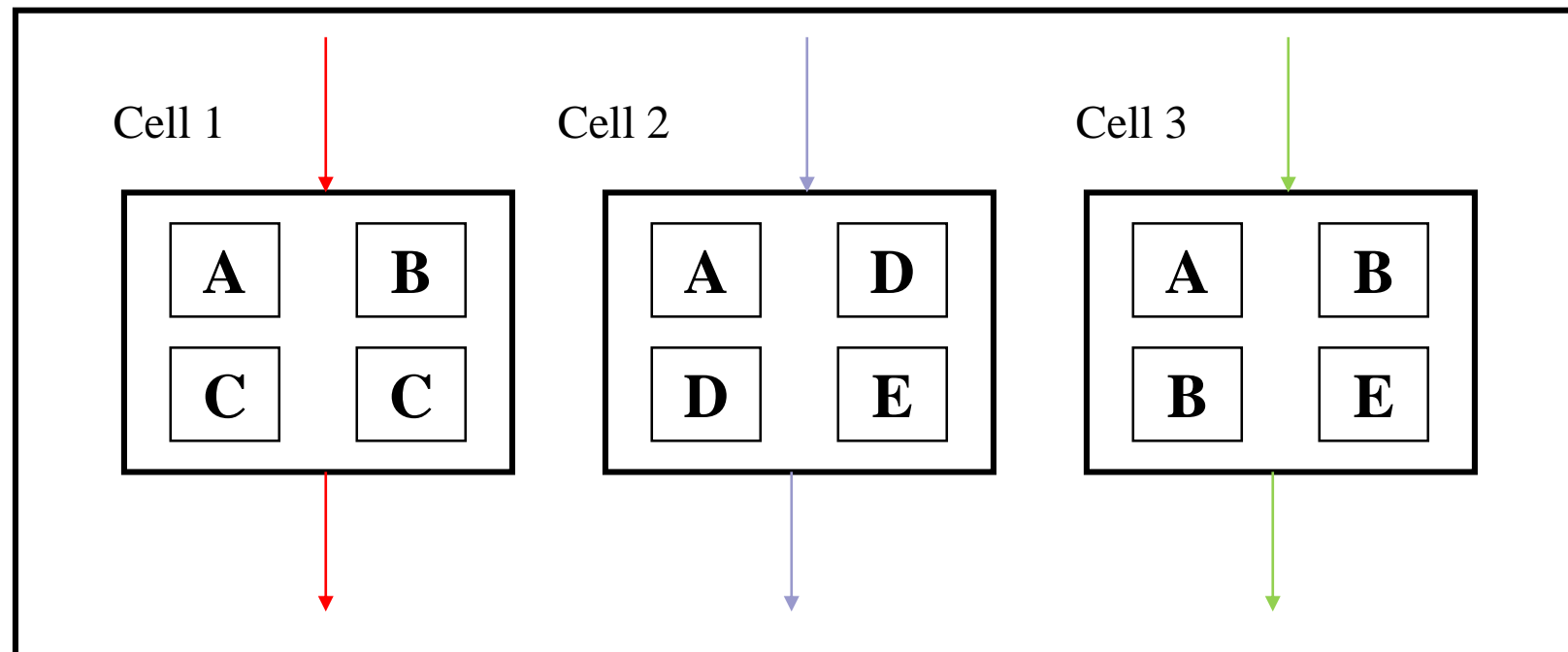
# Outline

- General features
- Examples
- Strengths and weaknesses
- Group technology – steps
- System design
- Virtual cellular manufacturing

# Manufacturing cells – general features

When cellular manufacturing is applied, parts are grouped into **part families** and machines into **cells**.

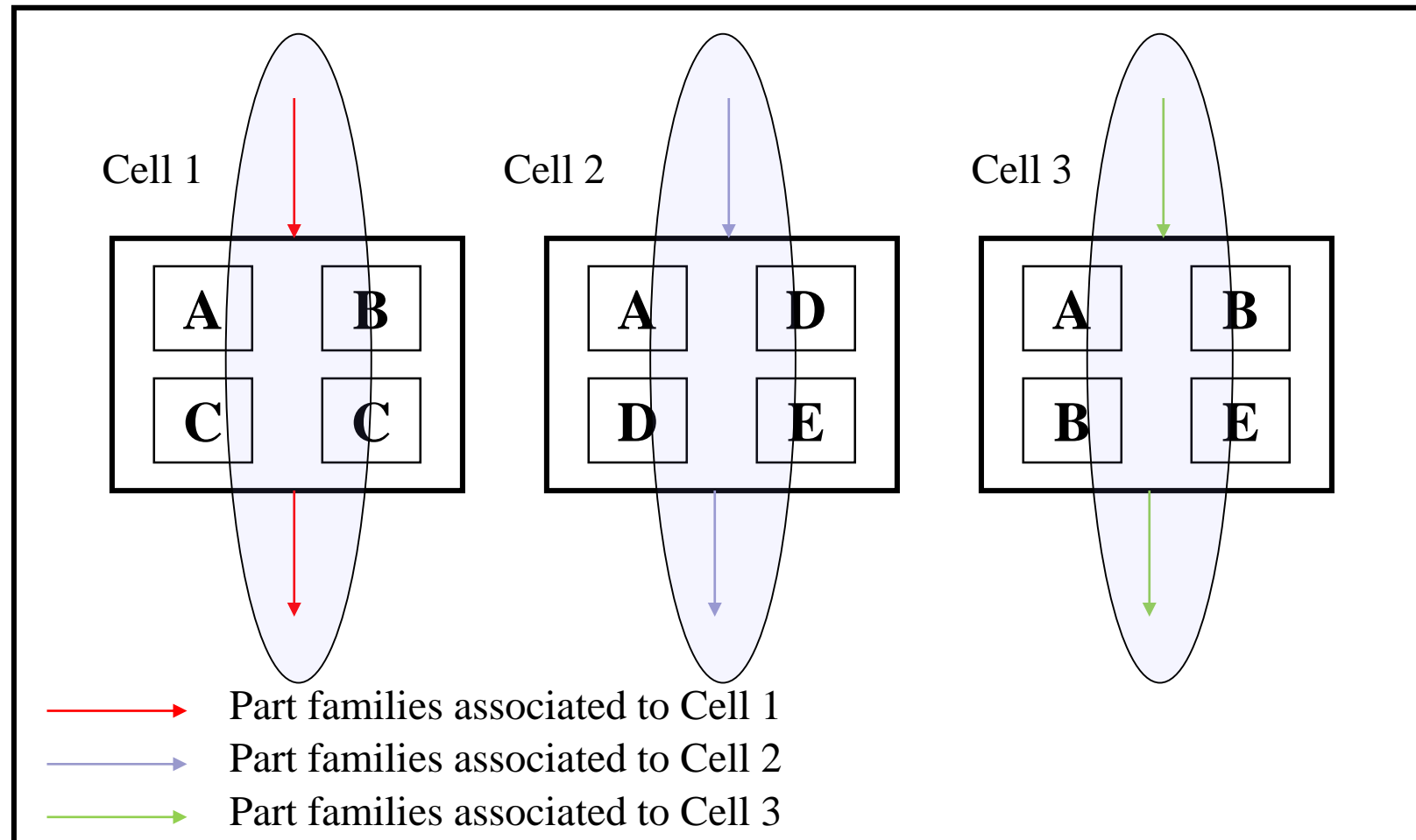
The machines are grouped on the basis of the **processing requirements** of the part families (different technological processes / machines in the same cell).



(\*) Product and part are terms used as synonymous during this course

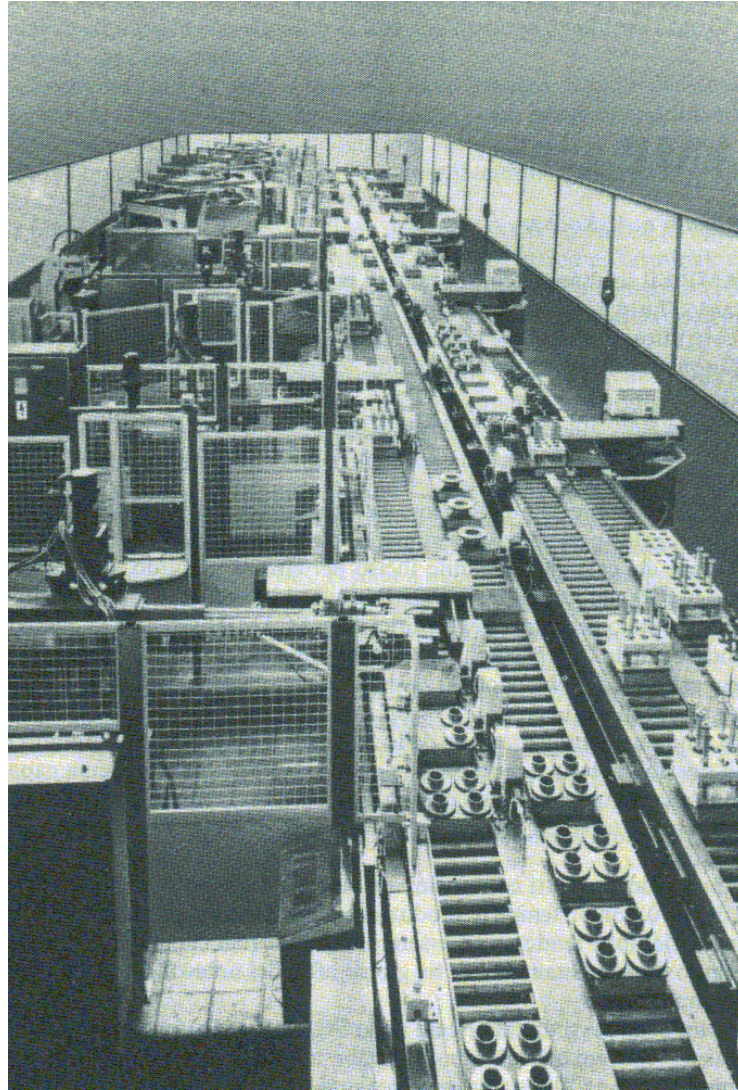
# Manufacturing cells – general features

Each product has its own **routing** within the cell (this is the case when no inter-cell move is required > case of complete cell independence).





# Example 2

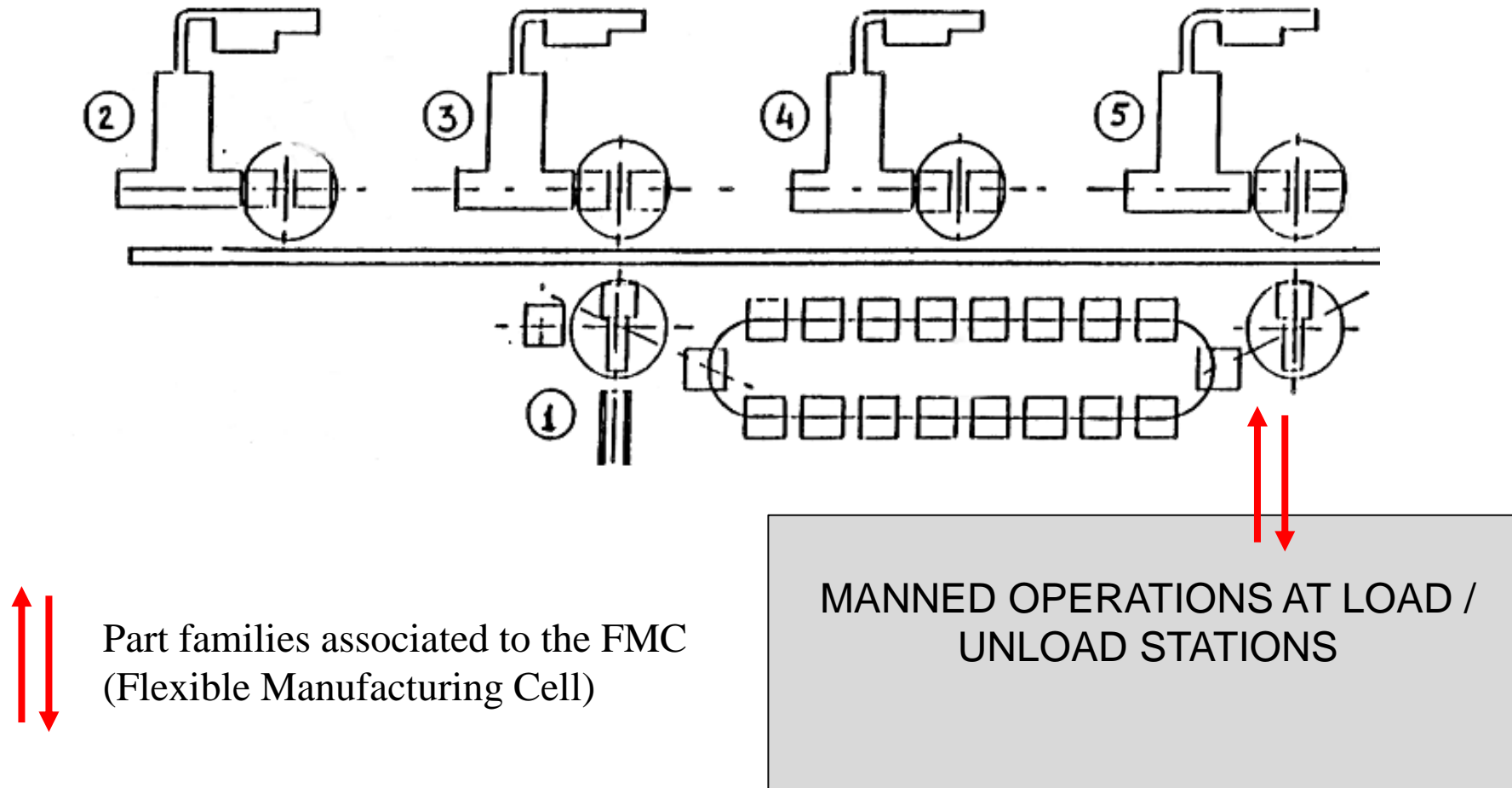


MANNED  
OPERATIONS AT  
LOAD / UNLOAD  
STATIONS



Part families associated to the FMS  
(Flexible Manufacturing System)

# Example 3



# Some examples

- <https://www.youtube.com/watch?v=E54HAZWQpys>
- [https://www.youtube.com/watch?v=c50\\_IAlfzsk](https://www.youtube.com/watch?v=c50_IAlfzsk)



# Manufacturing cells – general features

When cellular manufacturing is applied, it may lead to:

- re-arrange existent equipment on the factory floor (i.e. machines, ...);
- operate with new equipment, often incorporating various forms of flexible automation (i.e. from machines, material handling equipment, ..., to FMC/FMS).

In other words, a typical question related to system design is required – *“which machines and their associated parts should be grouped together to form cells?”* – before re-arranging existent equipment on the factory floor, or incorporating flexible automation.

# Manufacturing cells – Strengths

- Rationalization of material flows
- Setup time reduction
- Production management is easier

Overall (compared to the job-shop):

- WIP reduction
- Lead time reduction (also considering variability)
- More reliable estimates of delivery lead times

# Manufacturing cells – Strengths

- Job enlargement + job enrichment for employees
- Team work within the cell
- Unification of product and process responsibilities
- More control on the quality characteristics of the products

# Manufacturing cells – Weaknesses

- Difficulties with work load balancing between cells
- Problems related to production mix variability
- Difficulties with the application to the whole stages of the production chain
- In some cases, necessity of more machines than in a job shop
- Difficulties to manage technological operations outside the cells
- Problems related to breakdowns

# Group technology – Steps

- Data collection regarding the production mix and technological routings
- Classification of products
- Standardization of products
- Standardization of technological routings
- Identification of product families
- Identification of machine groups forming the cells

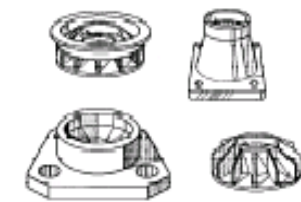
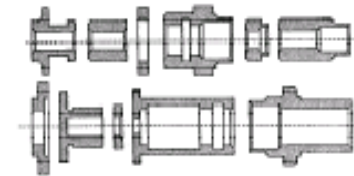
# Rough design of a manufacturing cell

After the identification of product families and machine groups, the cells design can be based on the same approach used for the job-shop:

- calculate the number of machines of type  $i$  necessary in the cell;
- evaluate the number of shifts/day, computing the yearly costs adopting 1, 2 or 3 shifts/day.

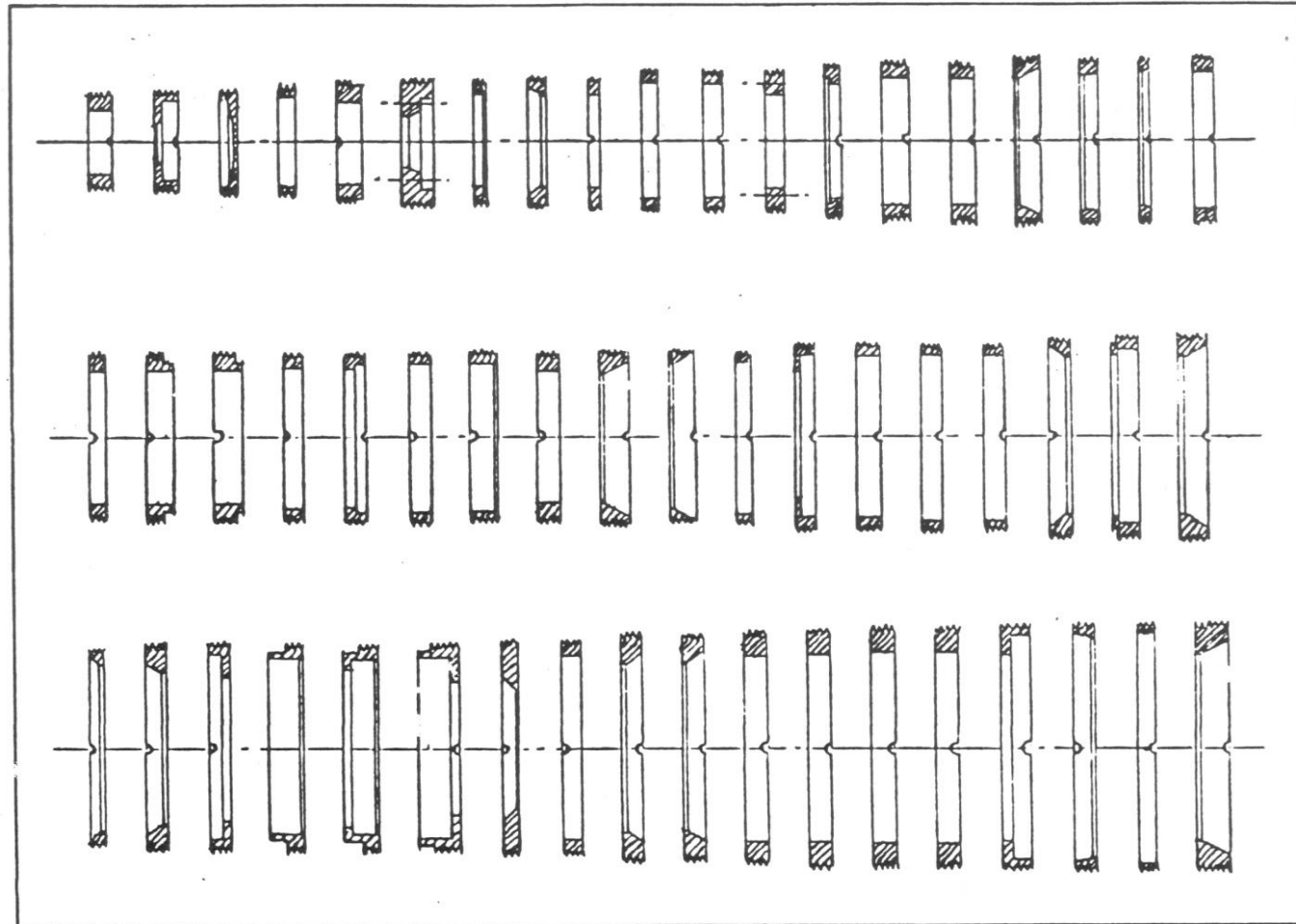
# Group technology – Methods

- Identification of product families based on the classification of products
  - Informal methods
    - Based on geometrical features
    - Based on technological features
  - Part coding analysis methods
    - Based on geometrical features
    - Based on technological features



# Based on the classification of products

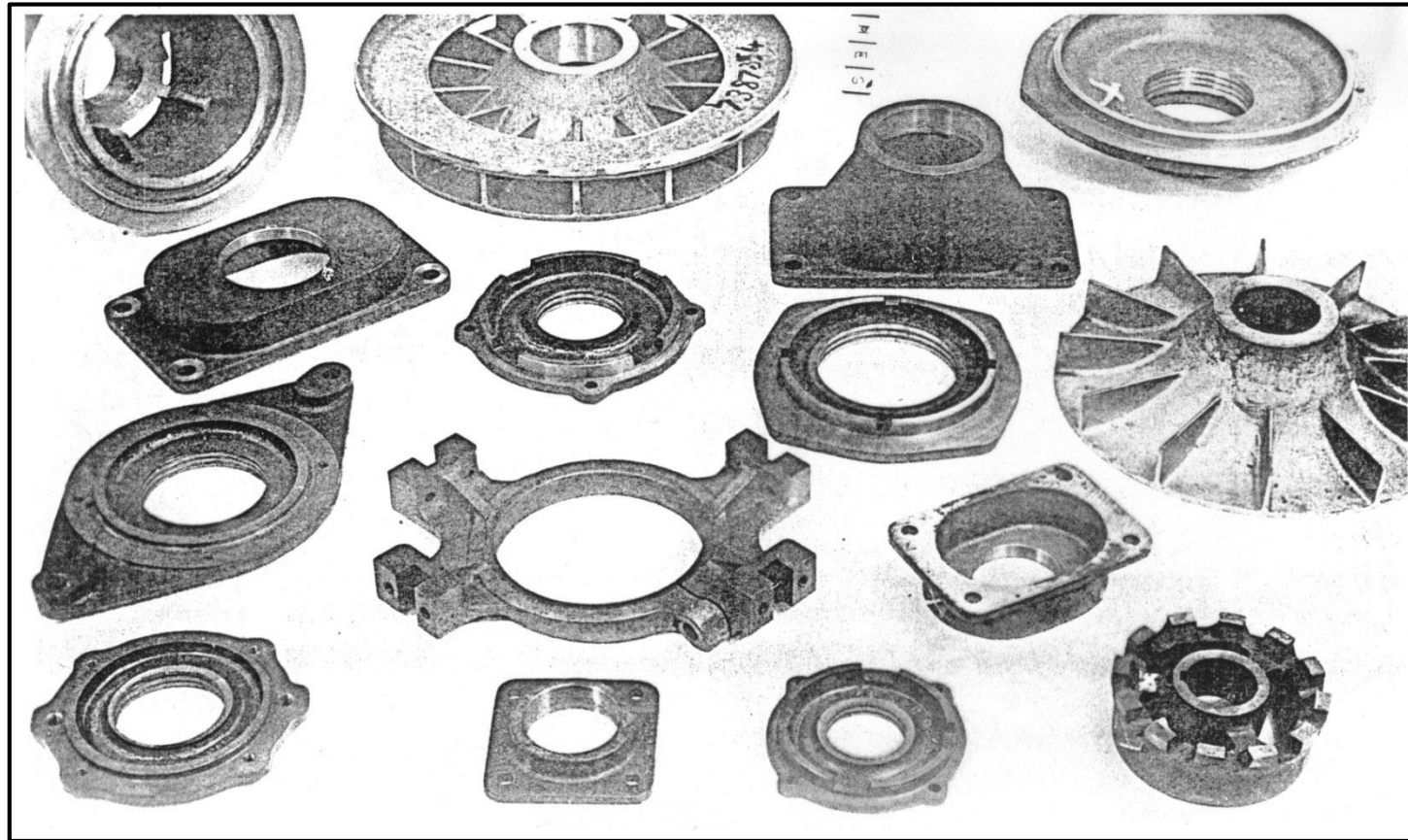
- Based on geometrical features of products





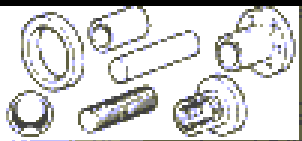





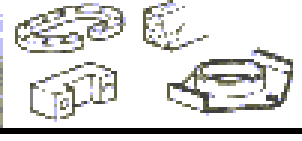
# Based on the classification of products

- Based on technological features of products



# Based on the classification of products

## □ Part coding analysis (example 1)

EXCEPT SPECIFIED UNDER 38000	METALLIC	EXCEPT CAST FORGED STAMPED	STRAIGHT OR FLAT	ROUND	PLAIN		31000
				OTHER THAN PLAIN		32000	
			OTHER THAN ROUND			33000	
		BENT			34000		
		CAST, FORGED, STAMPED				35000	
	NON METALLIC	PLASTIC			36000		
		OTHER THAN PLASTIC			37000		

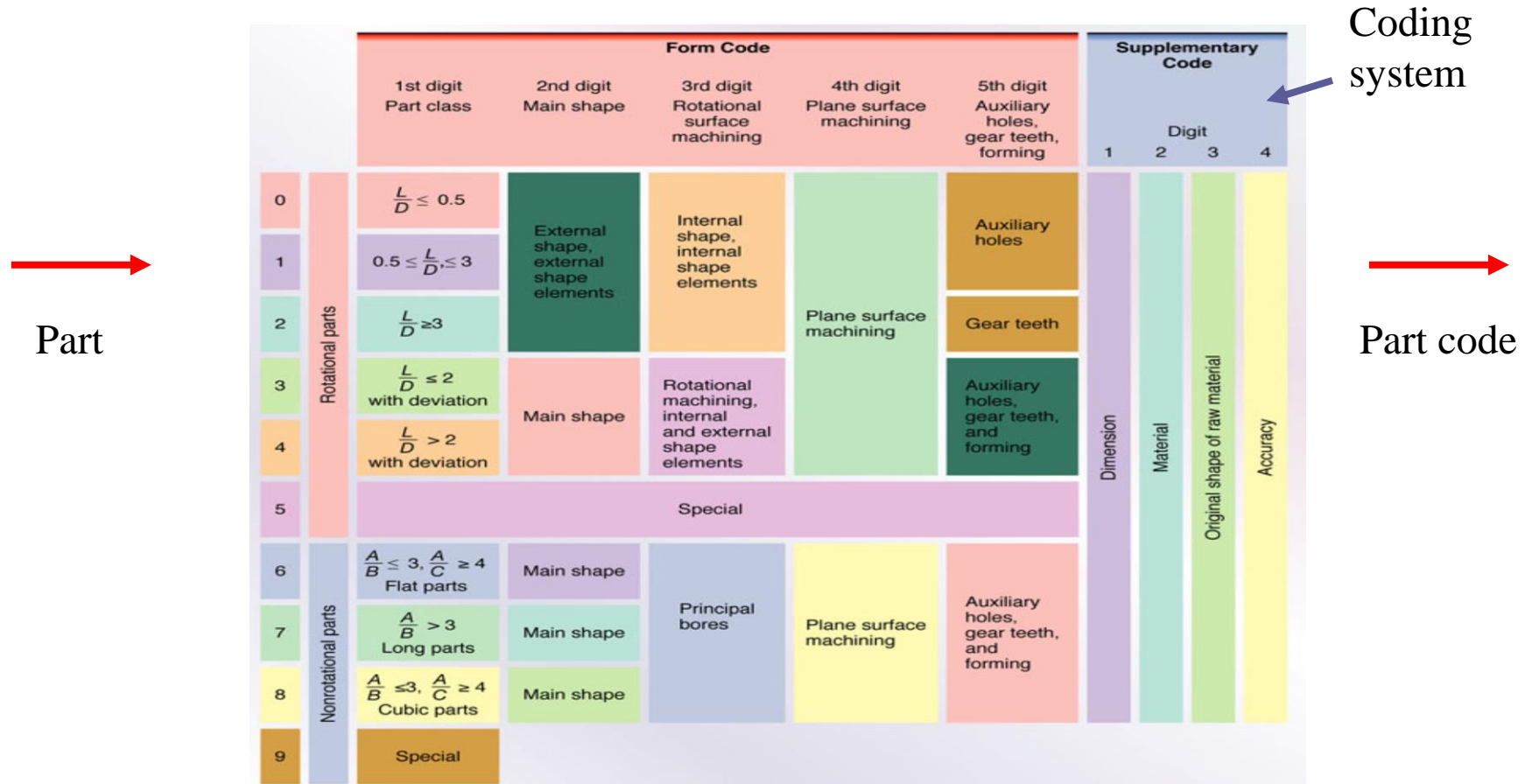
Part →

→ Part code

Coding system

# Based on the classification of products

## □ Part coding analysis (example 2)

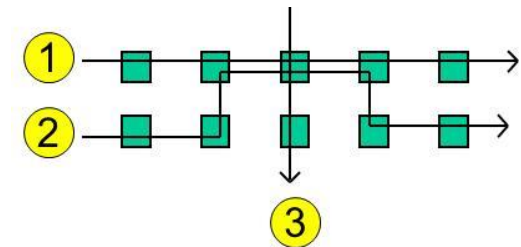


# Group technology – Methods

- Identification of product families / machine groups forming the cells simultaneously based on PFA (Production Flow Analysis)

- Cluster analysis
  - ROC (Rank Order Clustering)
  - Similarity coefficients

- Graph partitioning
- Mathematical programming
- ...



# Based on PFA – Rank Order Clustering

- ❑ Step 1: read each row as a binary number
- ❑ Step 2: order rows according to descending binary numbers
- ❑ Step 3: read each column as a binary number
- ❑ Step 4: order columns according to descending binary numbers
- ❑ Step 5: if on steps 2 and 4 no reordering happened go to step 6, otherwise go to step 1
- ❑ Step 6: stop

# Rank Order Clustering – Example (1/3)

Machine/part matrix



$a_{ij} = 1$  if part  $j$  visits machine  $i$   
 $a_{ij} = 0$  otherwise

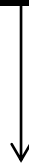
MACHINE TYPE	PRODUCTS								Decimal number
	1	2	3	4	5	6	7	8	
A	1	1	0	0	1	0	0	0	200
B	0	0	0	1	0	0	0	1	17
C	0	1	1	0	0	1	1	0	102
D	0	0	0	1	0	0	0	1	17
E	0	0	1	1	0	1	1	0	54
F	1	1	0	0	1	0	0	0	200



(binary number)  $1 \times 2^7 + 1 \times 2^6 + 0 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 0 \times 2^0 = 200$

# Rank Order Clustering – Example (2/3)

MACHINE TYPE	PRODUCTS								Decimal number
	1	2	3	4	5	6	7	8	
A	1	1	0	0	1	0	0	0	200
F	1	1	0	0	1	0	0	0	200
C	0	1	1	0	0	1	1	0	102
E	0	0	1	1	0	1	1	0	54
B	0	0	0	1	0	0	0	1	17
D	0	0	0	1	0	0	0	1	17
Decimal n.	48	56	12	7	48	12	12	3	



(binary number)  $1 \times 2^5 + 1 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 0 \times 2^0 = 56$

# Rank Order Clustering – Example (3/3)

MACHINE TYPE	PRODUCTS								Decimal number
	2	1	5	3	6	7	4	8	
A	1	1	1	0	0	0	0	0	224
F	1	1	1	0	0	0	0	0	224
C	1	0	0	1	1	1	0	0	156
E	0	0	0	1	1	1	1	0	30
B	0	0	0	0	0	0	1	1	3
D	0	0	0	0	0	0	1	1	3
Decimal n.	56	48	48	12	12	12	7	3	

Exceptional parts

- inter-cell moves
- duplication of machines
- alternative routings
- buy operations from third parties

Cell formation

- 3 potential cells



# Based on PFA – Similarity coefficients

- Step 1: compute the similarity coefficients

Where  $n_{ij}$ =number of parts worked by both the machines.

$n_i$  = number of parts worked by machine  $i$

$n_j$  = number of parts worked by machine  $j$

$$s_{ij} = \max \left( \frac{n_{ij}}{n_i} ; \frac{n_{ij}}{n_j} \right)$$

- Step 2: join the couple  $(i^*, j^*)$  with the highest similarity coefficient, thus forming the machine group  $k$
- Step 3: remove rows and columns related to both  $i^*$  and  $j^*$  from the original similarity matrix and substitute them with the row and column of the machine group  $k$ ; then, compute the similarity coefficient

$$s_{rk} = \max (s_{ri^*}, s_{rj^*})$$

- Step 4: go to step 2 (based on a criterion: single machine group, or predetermined number of machine groups)

# Similarity coefficients – Example (1/7)

Machine/part matrix →

$a_{ij} = 1$  if part  $j$  visits machine  $i$   
 $a_{ij} = 0$  otherwise

MACHINE TYPE	PRODUCTS								
	1	2	3	4	5	6	7	8	
A	1	1			1				i
B				1				1	
C		1	1			1	1		j
D				1				1	
E			1	1		1	1		
F	1	1			1				

$$s_{ij} = \max \left( \frac{n_{ij}}{n_i}; \frac{n_{ij}}{n_j} \right) = \max \left( \frac{1}{3}; \frac{1}{4} \right) = 0.33$$

# Similarity coefficients – Example (2/7)

Similarity matrix



$s_{ij}$  = similarity coefficients

MACHINE TYPE	MACHINE TYPE					
	A	B	C	D	E	F
A	-	0	0.33	0	0	1
B	0	-	0	1	0.5	0
C	0.33	0	-	0	0.75	0.33
D	0	1	0	-	0.5	0
E	0	0.5	0.75	0.5	-	0
F	1	0	0.33	0	0	-

# Similarity coefficients – Example (3/7)

**Machine/part matrix** →

$a_{ij} = 1$  if part  $j$  visits machine  $i$   
 $a_{ij} = 0$  otherwise

MACHINE TYPE	PRODUCTS							
	1	2	3	4	5	6	7	8
A	1	1			1			$i^*$
B		1		1				1
C		1	1			1	1	$r$
D		1		1				1
E		1	1			1	1	
F	1	1			1			$j^*$

$s_{ri^*} = \max\left(\frac{1}{4}; \frac{1}{3}\right) = 0.33$

$s_{rj^*} = \max\left(\frac{1}{4}; \frac{1}{3}\right) = 0.33$

$s_{rk} = \max(s_{ri^*}; s_{rj^*}) = 0.33$

# Similarity coefficients – Example (4/7)

CELL	CELL				
	A, F	B	C	D	E
A, F	-	0	0.33	0	0
B	0	-	0	1	0.5
C	0.33	0	-	0	0.75
D	0	1	0	-	0.5
E	0	0.5	0.75	0.5	-

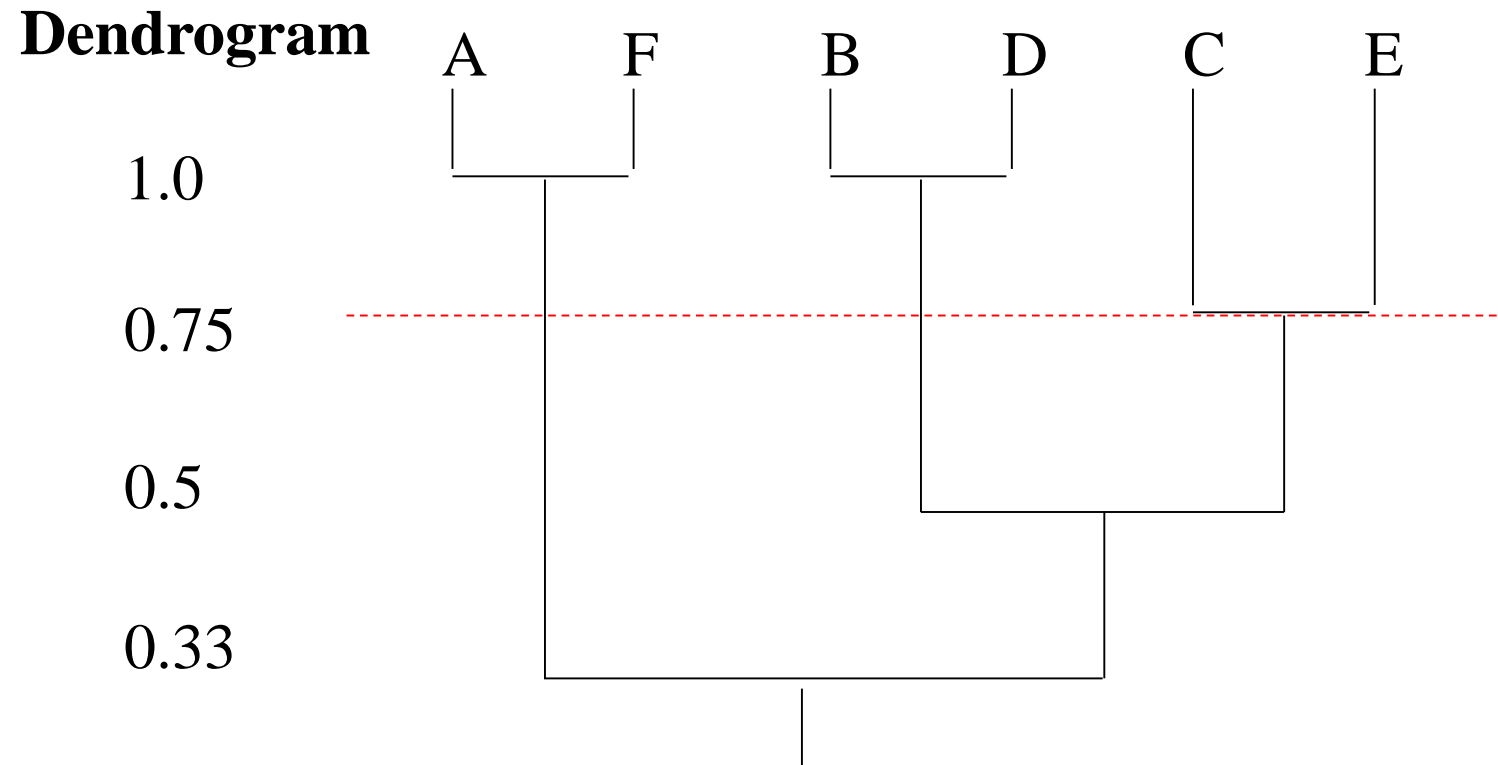
# Similarity coefficients – Example (5/7)

CELL	CELL			
	A, F	B, D	C	E
A, F	-	0	0.33	0
B, D	0	-	0	0.5
C	0.33	0	-	0.75
E	0	0.5	0.75	-

# Similarity coefficients – Example (6/7)

CELL	CELL		
	A, F	B, D	C, E
A, F	-	0	0.33
B, D	0	-	0.5
C, E	0.33	0.5	-

# Similarity coefficients – Example (7/7)

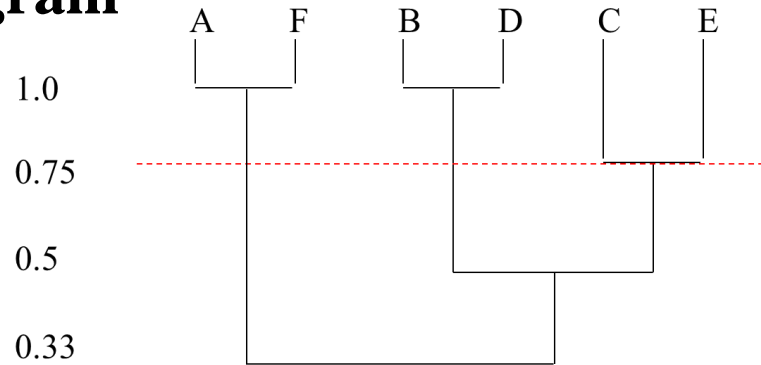


The dendrogram is a tree used to show the hierarchy of similarities among all the couples of machines (machine groups).



# Similarity coefficients – Example (7/7)

**Dendrogram**



Cells are formed after defining the minimum similarity coefficients amongst the couples of machines (machine groups)

**Machine/part matrix**

Machine Type	Product type								
	1	2	5	4	8	3	6	7	
A	1	1	1						
F	1	1	1						
B				1	1				
D				1	1				
C		1				1	1	1	
E				1		1	1	1	

- Cell formation
- 3 potential cells
- Exceptional parts
- 2 exceptional parts